$\qquad$
$\qquad$ Hour $\qquad$

### 9.3 Assignment

1. Boise Lumber has decided to enter the lucrative prefabricated housing business. Initially, it plans to offer two models: standard and deluxe. Each house is prefabricated and partially assembled in the factory, and the final assembly is completed on site. To build a standard house, material will cost $\$ 6000$ and require 240 factory labor hours and 180 on-site labor hours. For a deluxe home, material will cost $\$ 8000$ and require 220 factory labor hours and 210 on-site labor hours. The profit from a standard home is $\$ 3400$ and the deluxe model yields a profit of $\$ 4000$. The budget for material is $\$ 8.2$ million, the number of labor hours for the factory cannot exceed 218,000 hours and number of on-site labor hours cannot exceed 237,000 hours. Determine how many houses of each type Boise should produce to maximize its profits.

Fill in the table, determine if this is a maximization or minimization problem, and write the equation for the linear objective function and the constraints.

|  | Standard | Deluxe | Requirements |
| :---: | :---: | :---: | :---: |
| Material |  |  |  |
| Factory Labor <br> (hr) |  |  |  |
| On-site Labor (hr) |  |  |  |
| Profit |  |  |  |

$\qquad$ Date $\qquad$ Hour $\qquad$
2. A company manufactures products A and B through three departments: I, II, and III. The labor hours in Department I are 2 hours for product A and 1 hour for product B and cannot exceed 900 hours. The labor hours in Department II are 3 hours for product A and 1 hour for product B and cannot exceed 1080 hours. The labor hours in Department III are 2 hours for product A and 2 hours for product B and cannot exceed 840 hours. How many units of each product should the company produce in order to maximize its profits?

Fill in the table, determine if this is a maximization or minimization problem, and write the equation for the linear objective function and the constraints.

|  | Product A | Product B | Time Required |
| :---: | :---: | :---: | :---: |
| Dept. I |  |  |  |
| Dept. II |  |  |  |
| Dept. III |  |  |  |
| Profit |  |  |  |

$\qquad$ Date $\qquad$ Hour $\qquad$
3. Deluxe River Cruises operates a fleet of river vessels. The fleet has two types of vessels: a type-A vessel has 60 deluxe cabins and 160 standard cabins, whereas a type-B vessel has 80 deluxe cabins and 120 standard cabins. Under a charter agreement with Odyssey Travel Agency, Deluxe River Cruises is to provide Odyssey with a minimum of 360 deluxe and 680 standard cabins for their 15-day cruise in May. It costs $\$ 44,000$ to operate a type-A vessel and $\$ 54,000$ to operate a type-B vessel for that period. How many of each type vessel should be used in order to keep the operating costs to a minimum?

Fill in the table, determine if this is a maximization or minimization problem, and write the equation for the linear objective function and the constraints.

|  | Type-A | Type-B | Min. Cabins <br> Needed |
| :---: | :---: | :---: | :---: |
| Deluxe Cabins |  |  |  |
| Standard Cabins |  |  |  |
| Price/Vessel |  |  |  |

$\qquad$ Date $\qquad$

In 4 and 5, graph the following constraints.
4. $2 x+3 y \leq 1500,2 x+y \leq 1000, x \geq 0, y \geq 0$

5. $x+y \leq 10, x+y \geq 7,200 x+100 y \leq 1200, x \geq 0, y \geq 0$


